

Worksheet for 2 Mean, Equal Variance, t Test

Test the difference between 2 sample means (\bar{X}_1 vs \bar{X}_2) when σ_1 and σ_2 are unknown but considered equal. $n < 30$ otherwise use Z-Test and Normal distribution. Equal variance will be confirmed in this worksheet.

H₀:

Generally $\mu_1 = \mu_2$

H₁:

Generally $\mu_1 \neq \mu_2$

One sided or two sided? _____ **Risk** _____ **%** **α** _____

If H₀ is = then two sided. If H₀ is >, <, <=, or >= then one sided. If 2 sided then $\alpha = \text{Risk}/2$ otherwise $\alpha = \text{risk}$.

Fill in the following information:

$$\bar{X}_1 = \quad S_1 = \quad S_1^2 = \quad n_1 =$$

$$\bar{X}_2 = \quad S_2 = \quad S_2^2 = \quad n_2 =$$

Distribution Normal or Non-Normal _____

Use normal probability paper if necessary. If data is crowding 0% or 100% it may not be normal. If not normal, the t test may not be the best test to use.

Calculate the F statistic as follows:

$$F = S_x^2/S_y^2 = \text{____}/\text{____} = \text{____} \quad (\text{Note: Put the larger } S^2 \text{ in the numerator}) \quad df_x = n_x - 1 = \text{____} \quad df_y = n_y - 1 = \text{____}$$

Look up F statistic in table for a given alpha. **F risk, df_x, df_y** = _____

If the calculated F statistic is larger than the F value from the table, the sample data are non-equal variant and can not use this sheet.

Calculation t Statistic as follows:

$$t = \frac{\bar{X}_1 - \bar{X}_2}{\text{-----}}$$

$$Sp = \sqrt{\frac{(n_1-1)S_1^2 + (n_2-1)S_2^2}{n_1+n_2-2}}$$

$$Sp \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}$$

t =

$$DF = n_1 + n_2 - 2 = \text{_____}$$

$$t_{\alpha, DF} = t_{\text{____}, \text{____}} = \text{_____} \quad \text{Use t Table. This is the critical value.}$$

If t statistic is greater than the critical value then the Null Hypothesis (H₀) is rejected. Other wise the Null Hypothesis fails to be rejected.